

Mapping Signatures of Positive Selection

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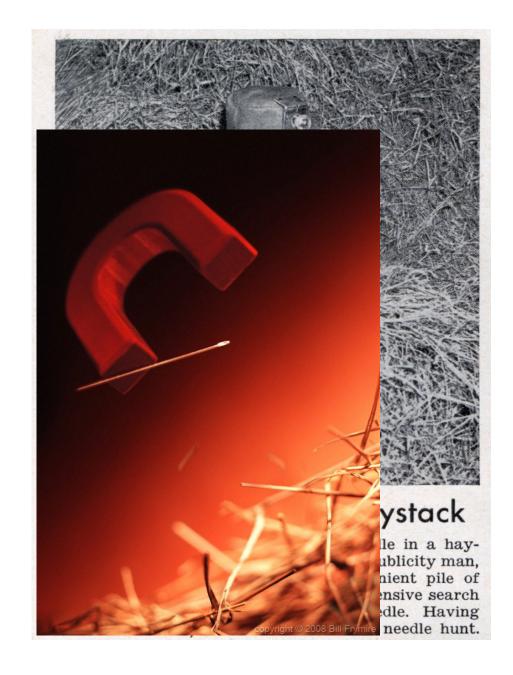






Searching for the action of natural selection is a challenge...

...but there is also some promise!







- Overview of selection
- Background selection
- Balancing selection
- Positive selection
- Practical session (methods to detect positive selection)
 - Local variability
 - Allele frequency spectrum
 - Haplotype based approaches



Methods for detecting selection

- Difference between species
 - High proportion of function altering mutations
- Within-species variation
 - Differences between populations
 - Low diversity
 - Excess of derived alleles
 - Long unbroken haplotypes

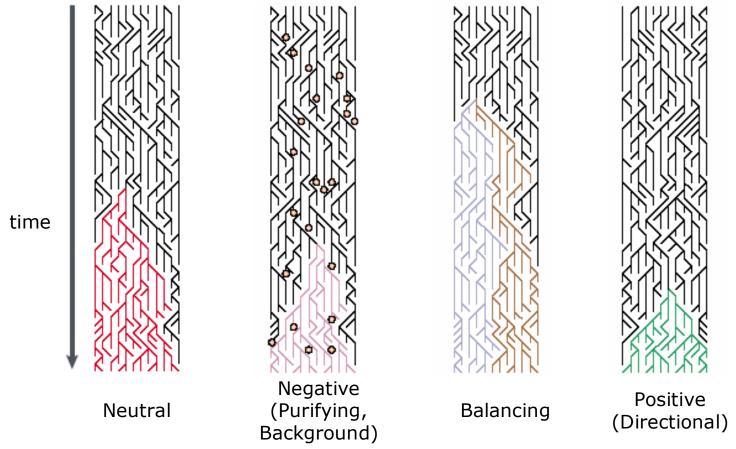




- Background selection refers to the elimination of neutral polymorphism as a result of the negative selection of deleterious mutations (i.e. purifying or negative selection).
- ☐ Balancing selection maintain variation in the population longer than expected
 - Different functional mutations are favored
 - Heterozygotes have a selective advantage
- Positive selection favors for a adaptive (new/rare) mutation



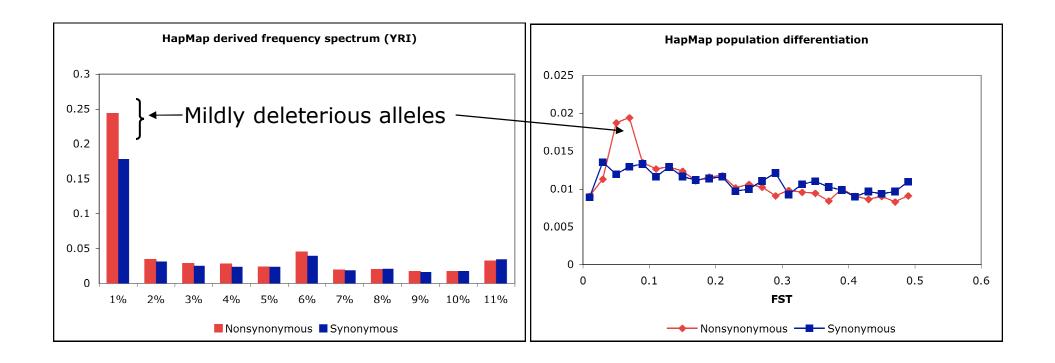






Background selection

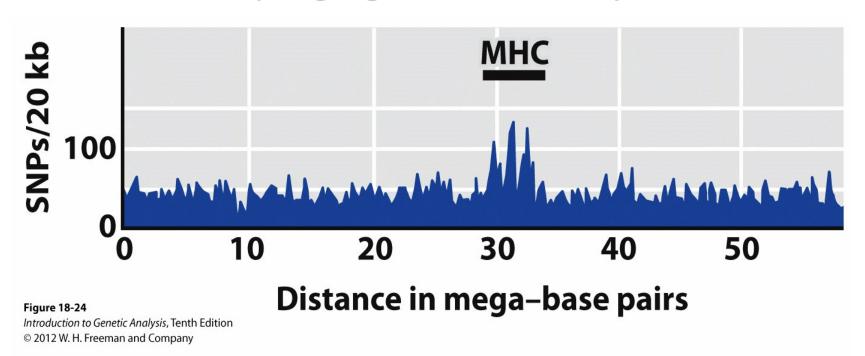
Deleterious mutations stay at low frequency. Nonsynonymous mutations are usually deleterious.





Balancing Selection: selection for diversity

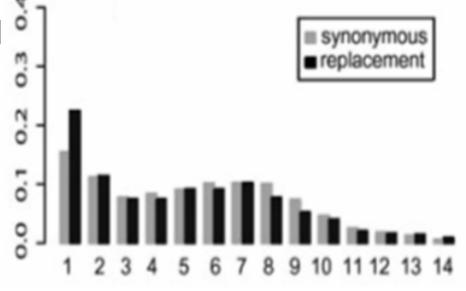
Balancing selection can lead to regions of unusually high genetic diversity



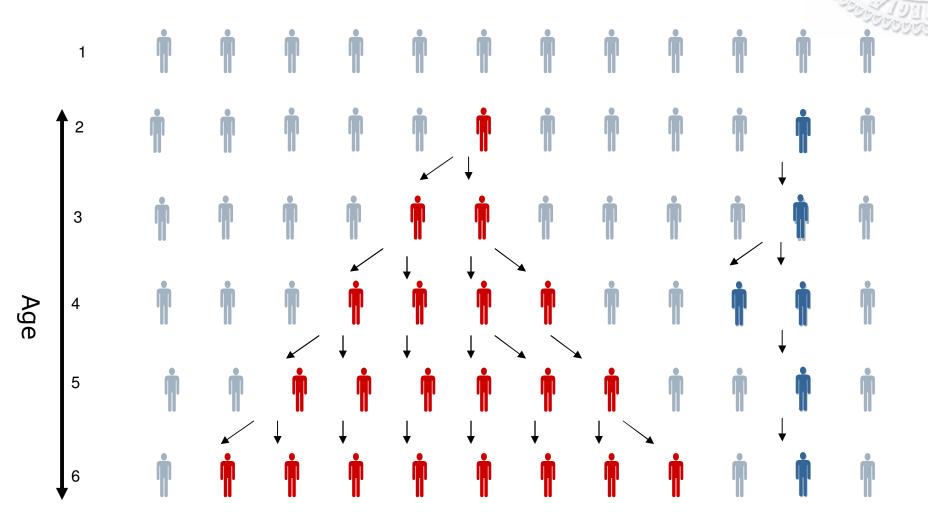


Detecting Balancing Selection

- Look for sites with excess polymorphism (Heterozygosity)
- Look for an excess of intermediate-frequency alleles at a site relative to rest of genome
- Compute sitefrequency spectra andperform Mann-Whitney U test
- ☐ CLR (in press ...)



Positive selection

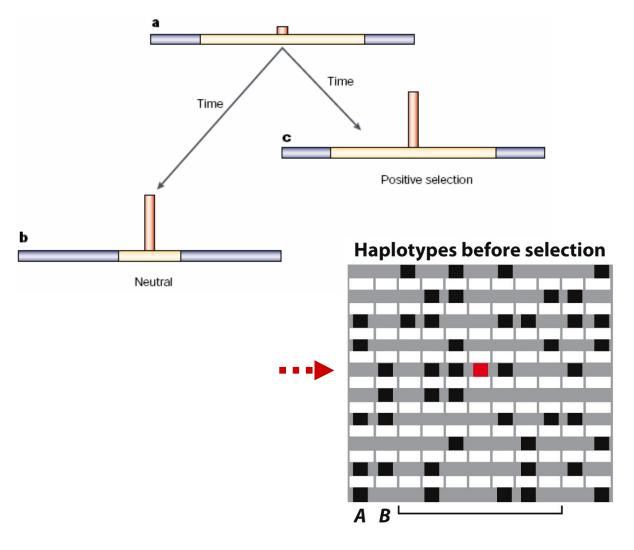


Generatio

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Genetic variation: positive selection





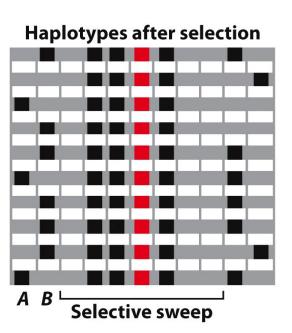
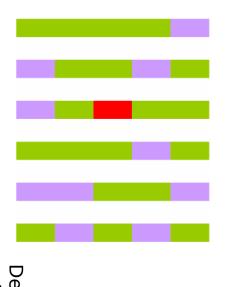


Figure 18-22 Introduction to Genetic Analysis, Tenth Edition © 2012 W. H. Freeman and Company

Signatures of a 'selective sweeps'

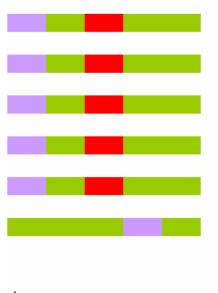




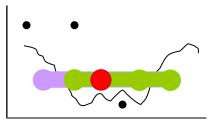


- 1) Low local variability (many rare alleles)
- 2) Excess of frequent and rare alleles
- 3) Long-range (unbroken) haplotypes

after



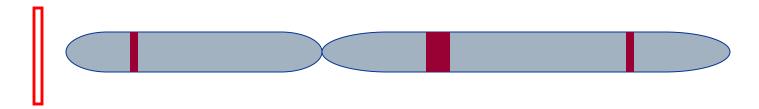




Broken Handitione

Finding selective sweeps

- Pick a statistical test to detect sweeps
- Apply the statistic across the genome



- Validate the results
 - Model-based

Compare genetic variation to 'neutral' model

Purely empirical

Consider the 'most extreme' genomic regions

Calibrated

Compare to examples of (very few) proven selective sweeps





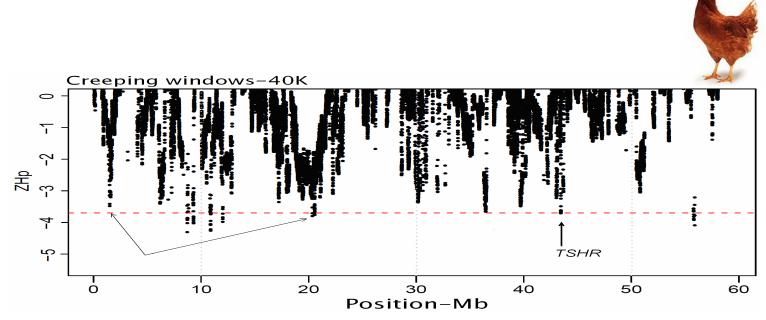
Genome-wide searches for positive selection

- Low diversity
- Excess of frequent/rare haplotypes
- Long unbroken haplotypes



Low diversity:

☐ Simply look at diversity metrics (eg., proportion of polymorphic loci or heterozygosity, etc)



Locally reduced diversity region suggestive of a distinct selective sweep along with *TSHR* gene on GGA5 in Lohmann brown layers (Qanbari et al. 2012)



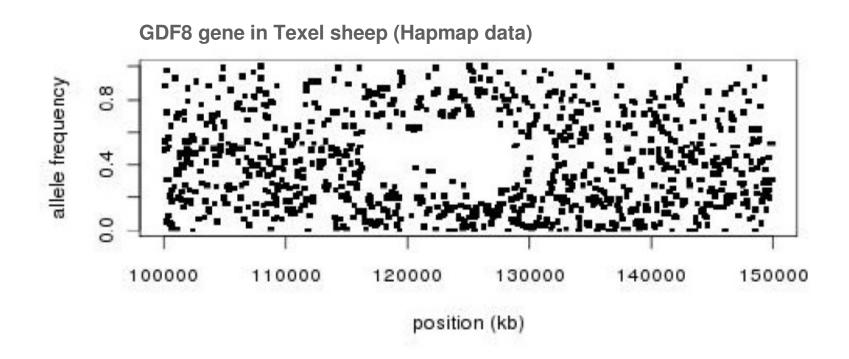
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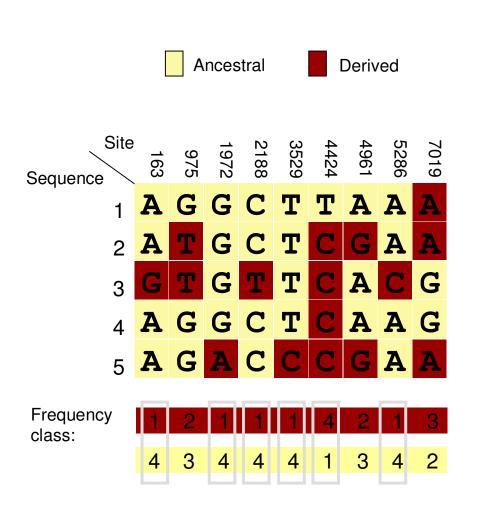


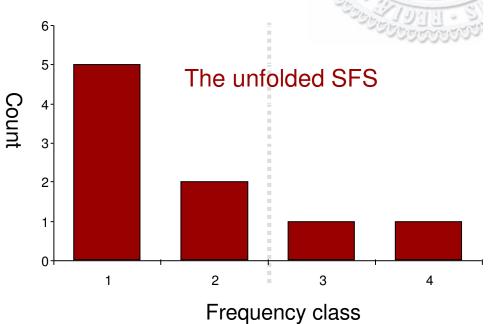
Site Frequency Spectrum (SFS):

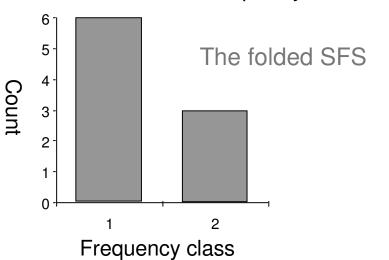
Look for regions with deviated SFS



Folded vs., unfolded SFS









Finding dSFS regions ...

- Nucleotide diversity
- □ Tajima D
- ☐ Fay & Wu H test
- Composite of Likelihood Ratio

... decides between the two hypothesis based on the value of the likelihood ratio.



Finding dSFS regions ...

Methods₁

Genomic scans for selective sweeps using SNP data

Rasmus Nielsen,^{1,3,5} Scott Williamson,¹ Yuseob Kim,⁴ Melissa J. Hubisz,¹ Andrew G. Clark,² and Carlos Bustamante¹

$$T_1 = 2\{ \log CL_1(\boldsymbol{\hat{p}}_{v \leftrightarrow b}; v {\longleftrightarrow} b) - \log CL_1(\boldsymbol{\hat{p}}; v {\longleftrightarrow} b) \}$$

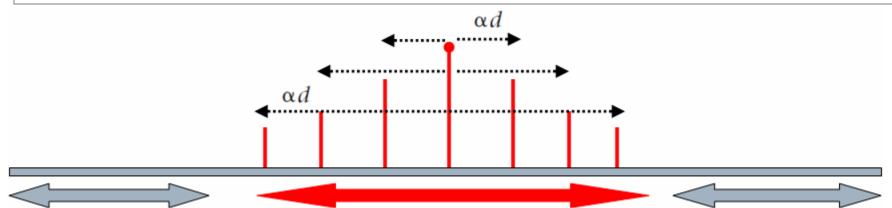
the standard log likelihood ratio for the multinomial distribution (a G-test statistic). This test statistic measures deviations in the local allele frequencies in a window $(\hat{\mathbf{p}}_{v \leftrightarrow b})$ from the global sets of allele frequencies $(\hat{\mathbf{p}})$.



Finding dSFS regions ...

 $P_e = 1 - e^{-\alpha d}$, where d is the distance from the location of the sweep to the sampled SNP $\alpha = r \ln(2N)/s$,

$$p_B^{\star} = P_e(n)p_B + \sum_{k=0}^{n-1} P_e(k) \left(p_{B+1-n+k,k+1} \frac{B+1-n+k}{k+1} + p_{B,k+1} \frac{k+1-B}{k+1} \right),$$







- ☐ Big CLR value indicates a sweep. How big is big?
- Do simulations to estimate significance.
- Repeat the CLR calculation for each simulation.
- Then for each region, find proportion of simulated CLRs that are bigger than its original CLR.
- That proportion is a p-value that tells if the region is a sweep.

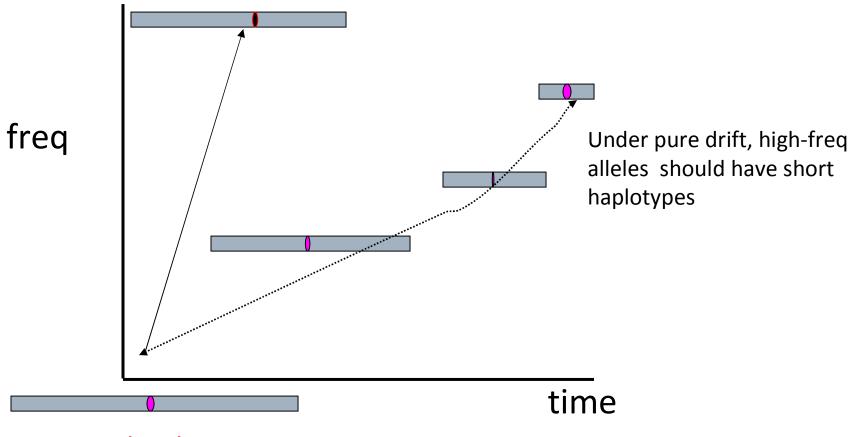


Genome-wide searches for positive selection

- Low diversity
- Excess of rare and frequent alleles
- Long unbroken haplotypes

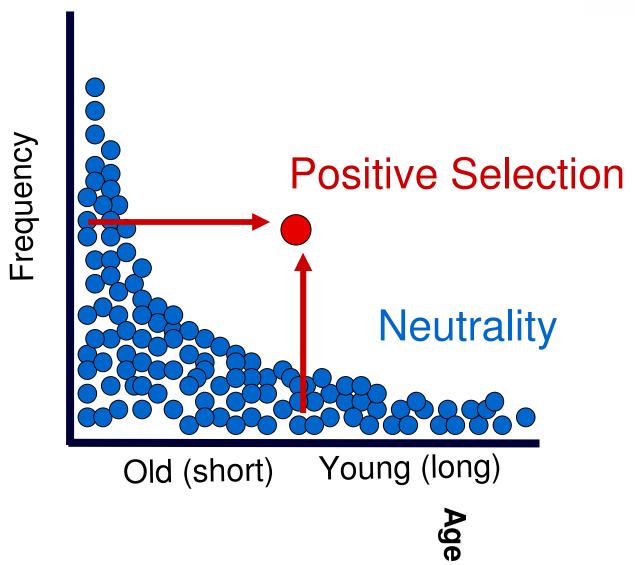


Under directional selection, very fast change in allele frequency, and hence short time. Results in high-frequency alleles with long haplotypes

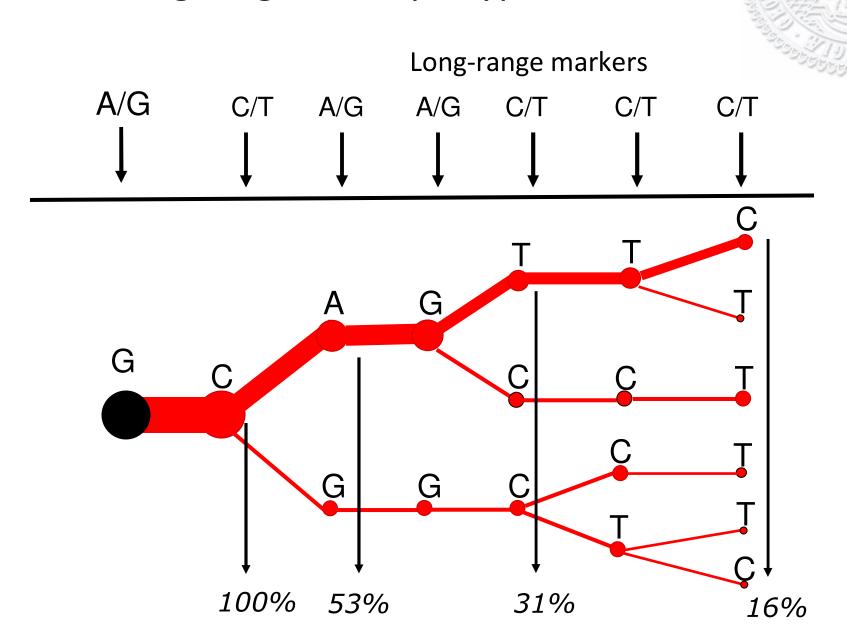


Starting haplotype





Measuring length of haplotype







- EHH (REHH); Sabeti et al. (Nature 2002)
 - Look for signal of "extended haplotype homozygosity"
- iHS; Voight et al. (PLoS Biology 2006)
 - Focus on potentially selected mutation
 - Compare selected/non-selected types
- iES; Rsb, XPEHH, nSL metrics use similar concept



Extended Haplotype Homozygosity

Define "core regions" (eg with a higher LD) and estimate EHH

$$EHH_t = \frac{\sum_{i=1}^{s} \binom{e_{ti}}{2}}{\binom{c_t}{2}}$$

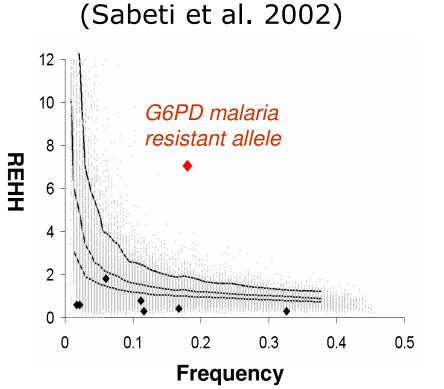
$$REHH = EHH_t / \overline{EHH}$$

- Bin SNPs by haplotype frequency
- Normalize In(REHH) per bin
- Outlying values indicative of selection

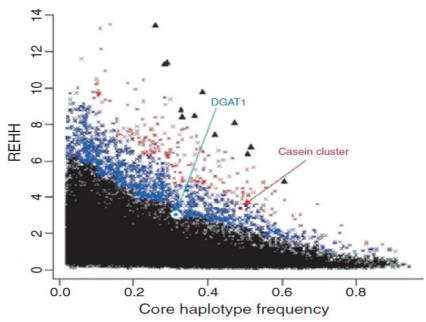


Extended Haplotype Homozygosity

Looking for a haplotype longer for its frequency (expected under neutrality)

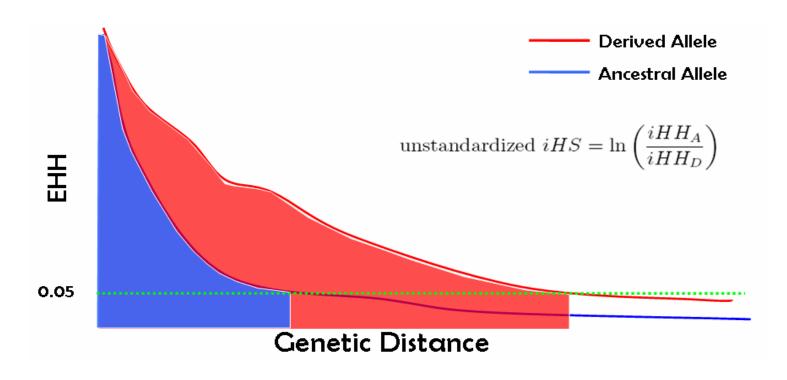


(Qanbari et al. 2010)





iHS: integrated Haplotype Homosygosity Score



iHHD: iHH with respect to **D**erived core allele.

iHHA: iHH with respect to **A**ncestral core allele.



- Look at the marker at site i and calculate its (HW) homozygosity= $E(H_i)$.

expected

- Then move to another site *j*, and look at the haplotypes that are defined by the variants sites *i* and *j*.

between

- Next, calculate the expected (HW) homozygosity for these haplotypes = $E(H_{ii})$.
- The haplotype homozygosity between sites *i* and *j* normalized by the homozygosity at site *i* is:

$$EHHS_{i,j} = \frac{E(Ho_{i,j})}{E(Ho_i)}$$





As *j* increases, this ratio will decrease, and Tang et al. look at the 0.1 threshold. A measure of how fast homozygosity decays with increasing site distance until this threshold is reached is the area under the step function:

$$iES_i = \sum_{j=a+1}^b \frac{(EHHS_{i,j-1} + EHHS_{i,j})(Pos_j - Pos_{j-1})}{2}$$

Where a and b are the 5' and 3' positions from i at which the 0.1 threshold is reached, and Pos_j is the physical position of site j in the genome.

Thats it folks:)

